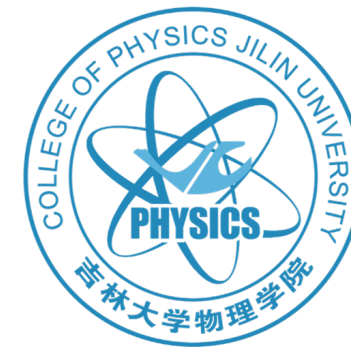


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Composite Asymmetric Dark Matter with a Dark Photon Portal: Multi-messenger tests

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in collaboration with

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(PRD 112 (2025) 1, 015027)

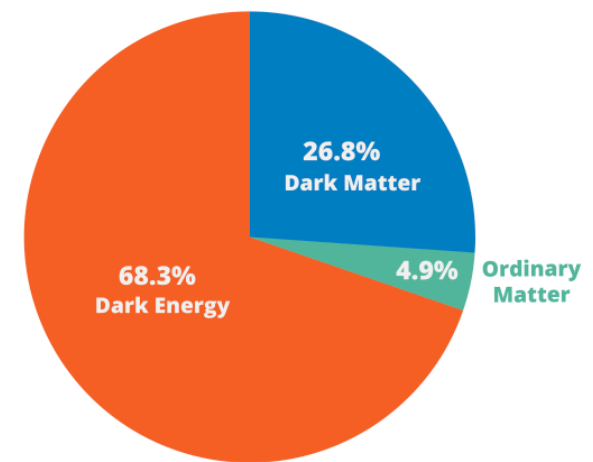
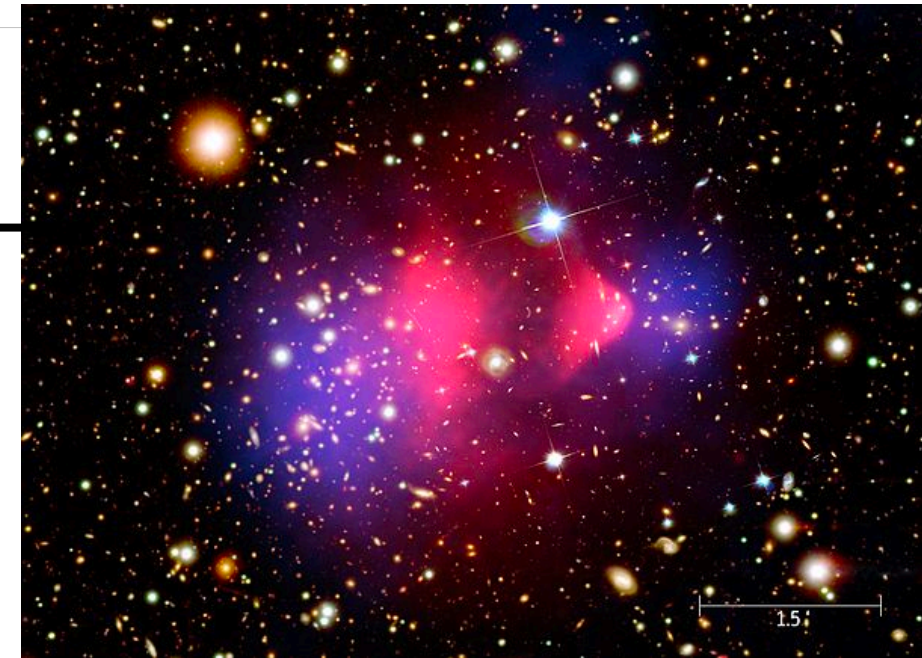
Dark Matter

Particle properties of Dark Matter

- Stable (or long lifetime until today)
- Electromagnetically neutral (or millicharged)
- Cold DM (non-relativistic)

Many models have been proposed

- weakly-interacting massive particles (WIMPs)
- axion/fuzzy DM
- (non-)topological objects/solitons (Q-ball/quark nugget/..)
- **Asymmetric DM**
- ...

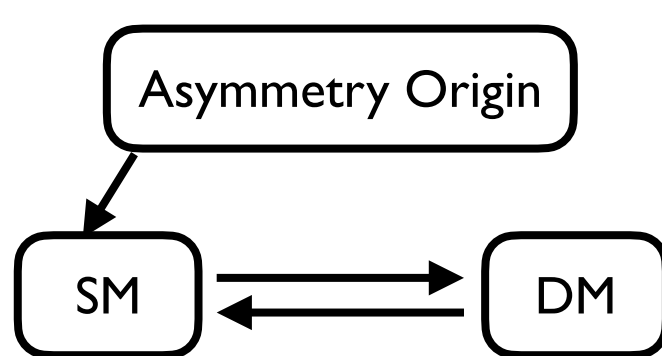


Asymmetric DM



- ✓ particle-antiparticle asymmetries

$$\eta_B \equiv \frac{n_B - \bar{n}_B}{n_\gamma} \quad \text{and} \quad \eta_{\text{DM}} \equiv \frac{n_{\text{DM}} - \bar{n}_{\text{DM}}}{n_\gamma}$$



by sharing asymmetry: $\eta_B \sim \eta_{\text{DM}}$

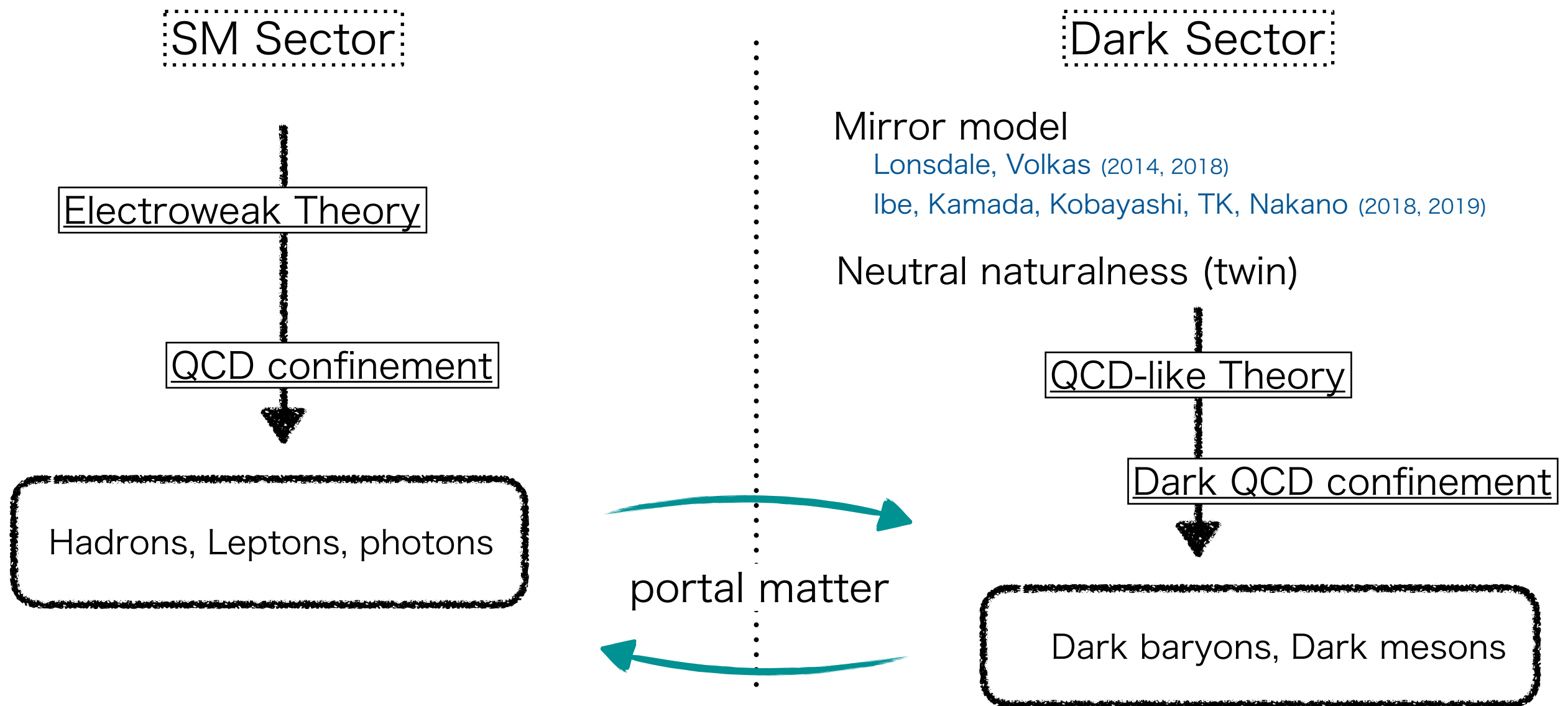
$$\frac{\Omega_{\text{DM}}}{\Omega_B} = \frac{m_{\text{DM}} \eta_{\text{DM}}}{m_B \eta_B} \sim 5 : \text{DM mass} \sim \text{O}(1) \text{ GeV}$$

- ✓ Safe from astrophysical/cosmological constraints

no anti-particle in the current Universe

-> no late-time energy injection to EM channel from annihilation

Composite Asymmetric DM



- ◆ Similar confinement scale $\Lambda'_{\text{QCD}} \sim 1 \text{ GeV}$ is expected in models with the SM copy
- ◆ Dark hadron DM
 - dark baryons (ex. composite asymmetric DM ...) [Ibe, Kamada, Kobayashi, Nakano \(2018\)](#)
 - dark pions (ex. SIMP ...) [Hochberg, Kuflik, Murayama, Volansky, Wacker \(2015\)](#)
 - other resonances?

Why Compositeness?

ADM scenarios require

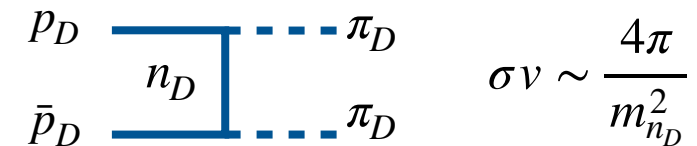
- large annihilation cross section
- DM mass $O(1)$ GeV
- DM number conservation

SM baryons have

- ✓ large annihilation into pion
- ✓ nucleon with mass of 1 GeV
- ✓ Baryon number conservation

Dark QCD seems to be a good candidate of ADM

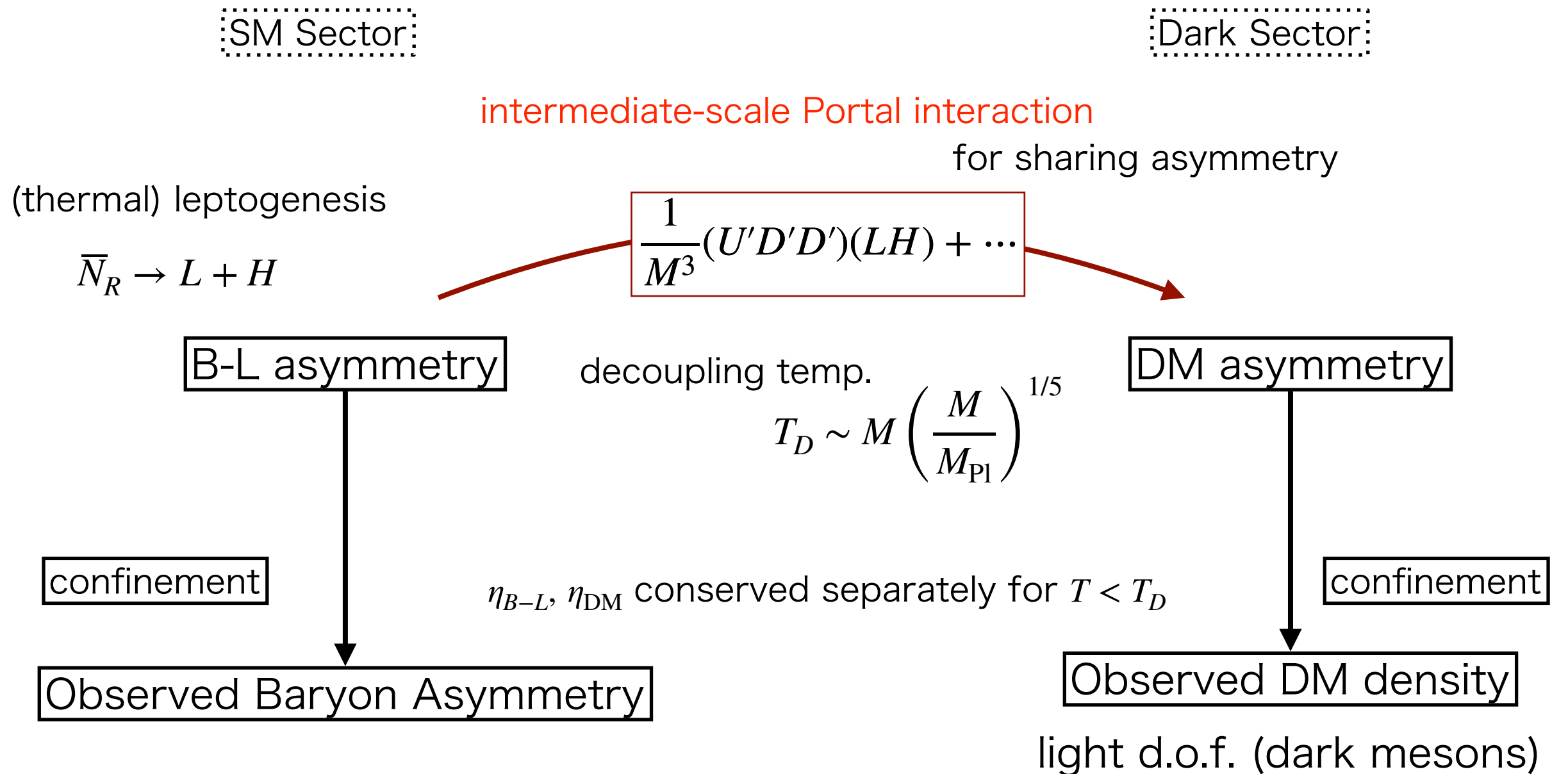
- dark-baryon efficiently depleted into dark-pion
- DM mass : **dimensional transmutation**
- DM number = **dark baryon number**



$$\sigma v \sim \frac{4\pi}{m_{n_D}^2}$$

- How to generate an asymmetry and to share the asymmetry?
- stable dark pions can be problematic.

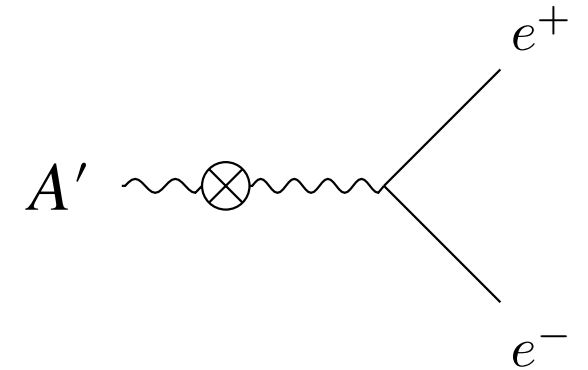
A Sketch of thermal history -asymmetry sharing-



Dark Photon as Low-energy Portal

Cosmological problems in composite ADM

- ❖ overdensity of the Universe (annihilation into dark mesons)
- ❖ or contribute to dark radiation (light and stable mesons)



Blennow, Fernandez-Martinez, Mena, Redondo, Serra (2012)

introduce dark photon kinematically mixing with SM photon

$$\mathcal{L}_{A'} = \frac{\epsilon}{2} F'^{\mu\nu} F_{\mu\nu} + m_{A'}^2 A'_\mu A'^\mu$$

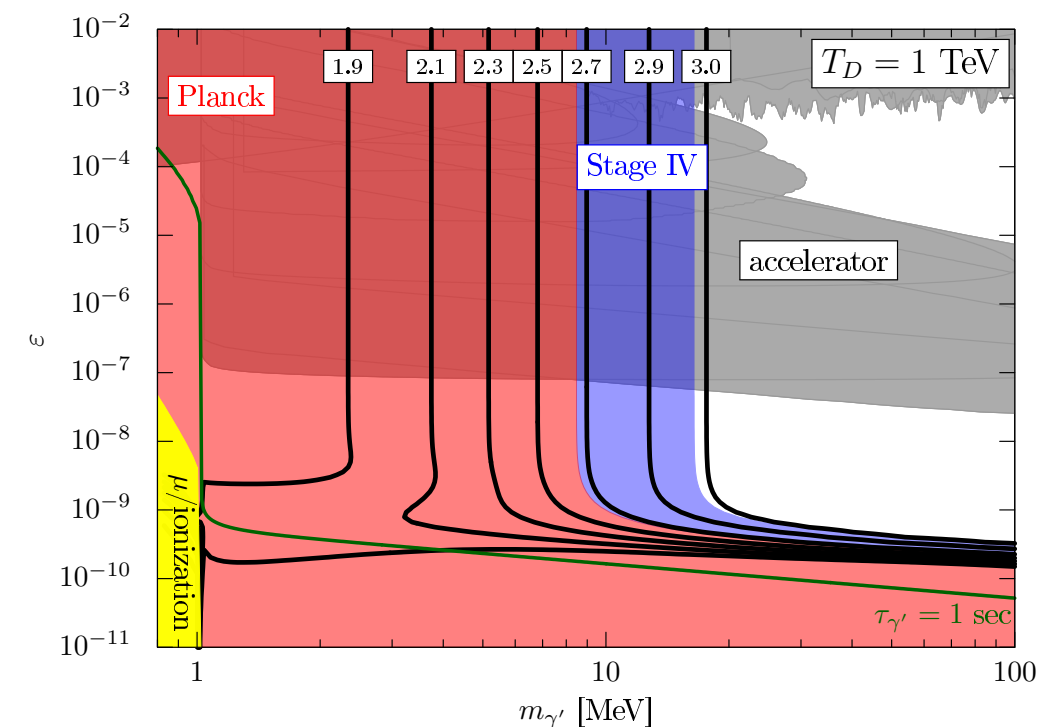
- ✦ dark pion annihilation/decay into A'
- ✦ A' decay into SM particles via kinetic mixing

constraints on dark photon parameters from δN_{eff}

Ibe, Kamada, Kobayashi, Nakano (2018)

thermalize $e^- \gamma$ plasma below $T_{\nu\text{dec}}$

Ibe, Kobayashi, Nakayama, Shirai (2019)

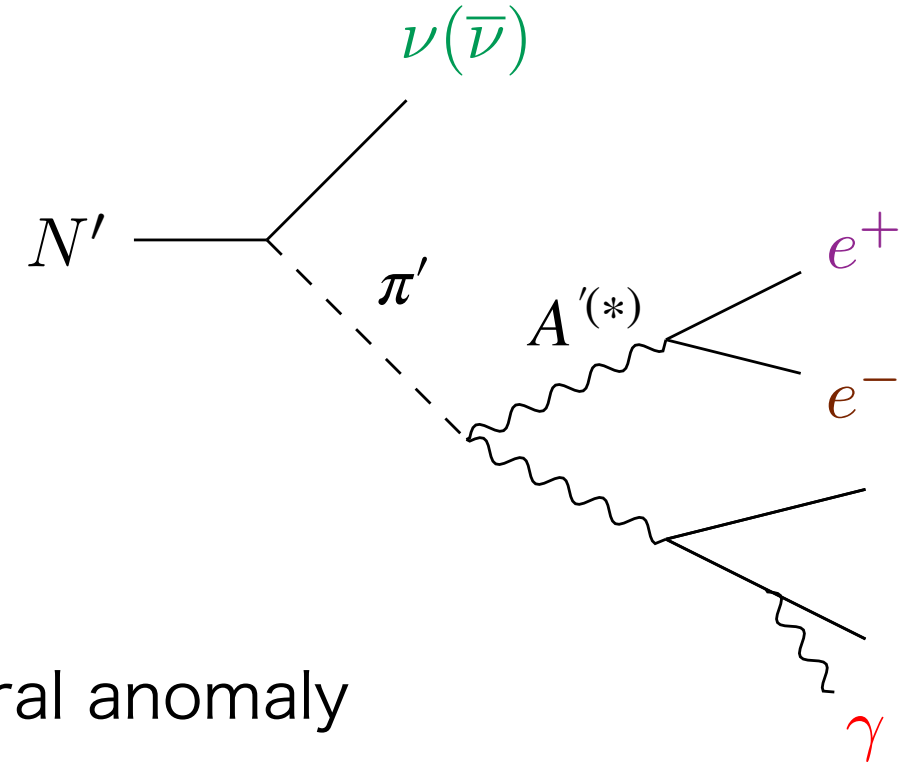


Multi-Messenger Signals

- DM decay as with nucleon decay in GUT via intermediate portal

$$\mathcal{L}_{\text{portal}} \supset \frac{1}{M^3}(U'D'D')(LH) + \frac{1}{M'^3}(\bar{U}'^\dagger \bar{D}'^\dagger D')(LH) + \text{h.c.}$$

$$\tau_{\text{DM}} \simeq 10^{26} \text{ s} \left(\frac{M_*}{2 \times 10^9 \text{ GeV}} \right)^6 \left(\frac{10 \text{ GeV}}{m_{N'}} \right)^5.$$



- Dark-"neutral" meson decays via "dark" chiral anomaly

$$\pi'^0 \rightarrow 2A'$$

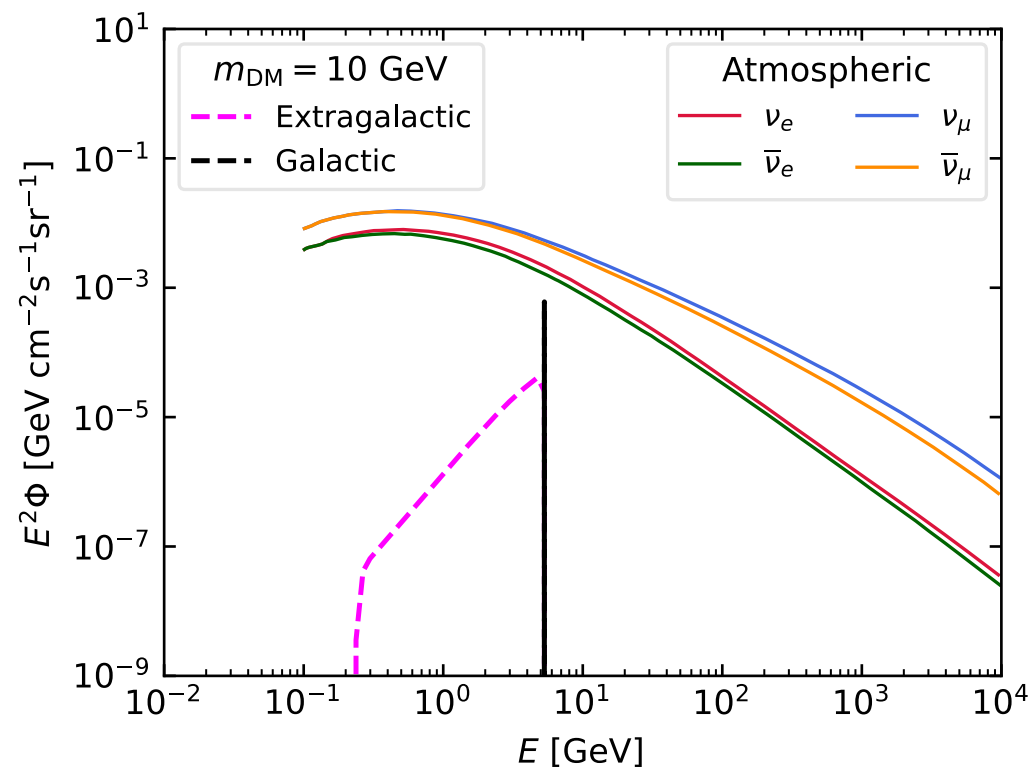
$$\text{BR}(\pi'^0 \rightarrow 2A') \simeq 1$$

- Dark photon decay via kinetic mixing (low-E portal)

A' lifetime $\lesssim \mathcal{O}(1)$ s (to avoid late-time reheating EM plasma)

A' mass $\lesssim 100$ MeV (only e^+e^- channels)

Neutrinos flux constraints



monochromatic neutrino energy

$$E_\nu \simeq \frac{m_{N'}}{2}$$

Covi, Greife, Ibarra, Tran (2010)

Feldstein, Fitzpatrick (2010)

Fukuda, Matsumoto, Mukhopadhyay (2014)

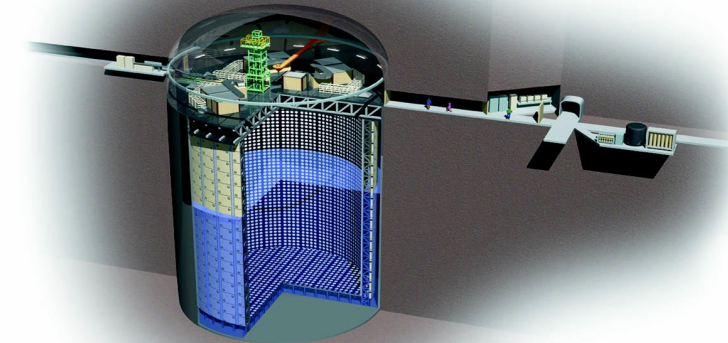
assuming ADM decay with universal neutrino species

galactic component: a monochromatic signal

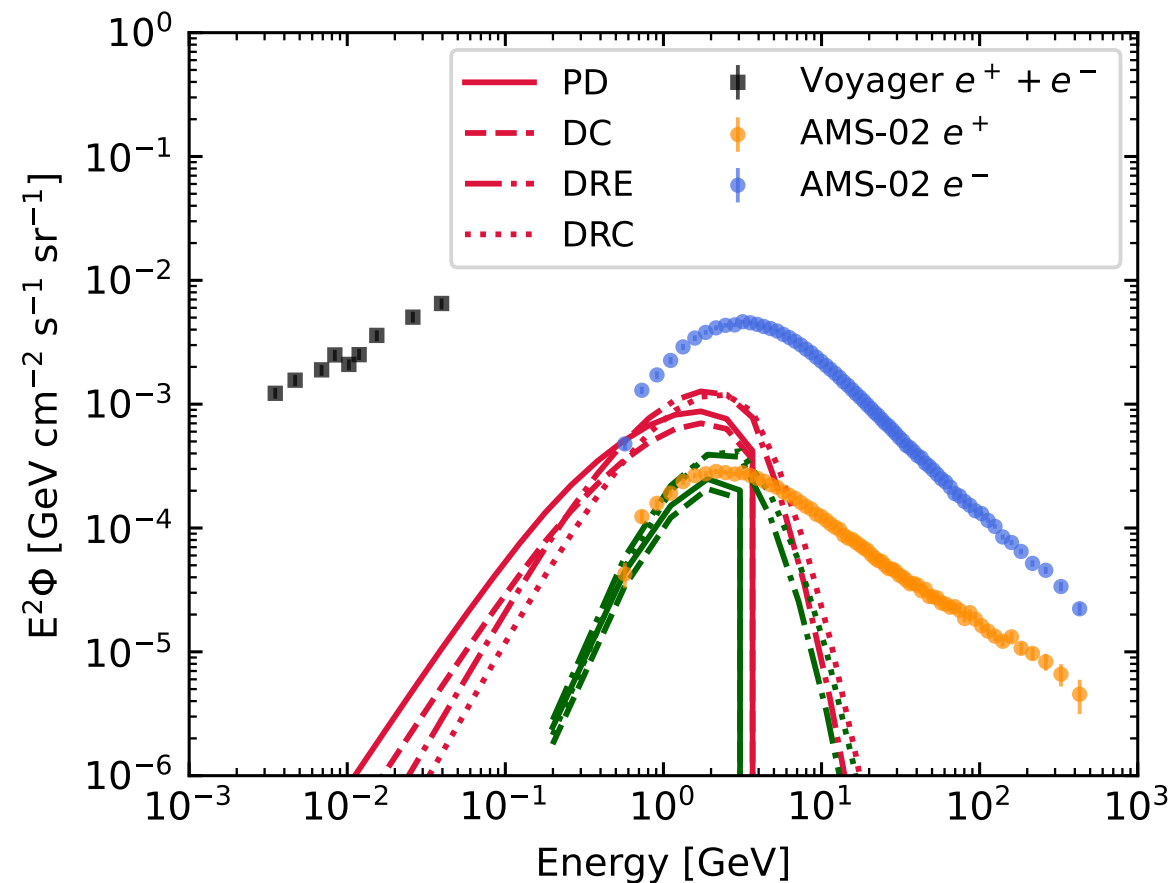
extragalactic component: integral over the redshifted signals

neutrino flux from ADM decay + Background neutrinos

should not exceed the observed atmospheric neutrino fluxes at super-K



electron/positron flux constraints



cosmic-ray $e^\pm$ with propagation

four different propagation scenarios

Silver, Orlando (2024)

- with/without convection by galactic wind
- with/without reacceleration in interstellar medium

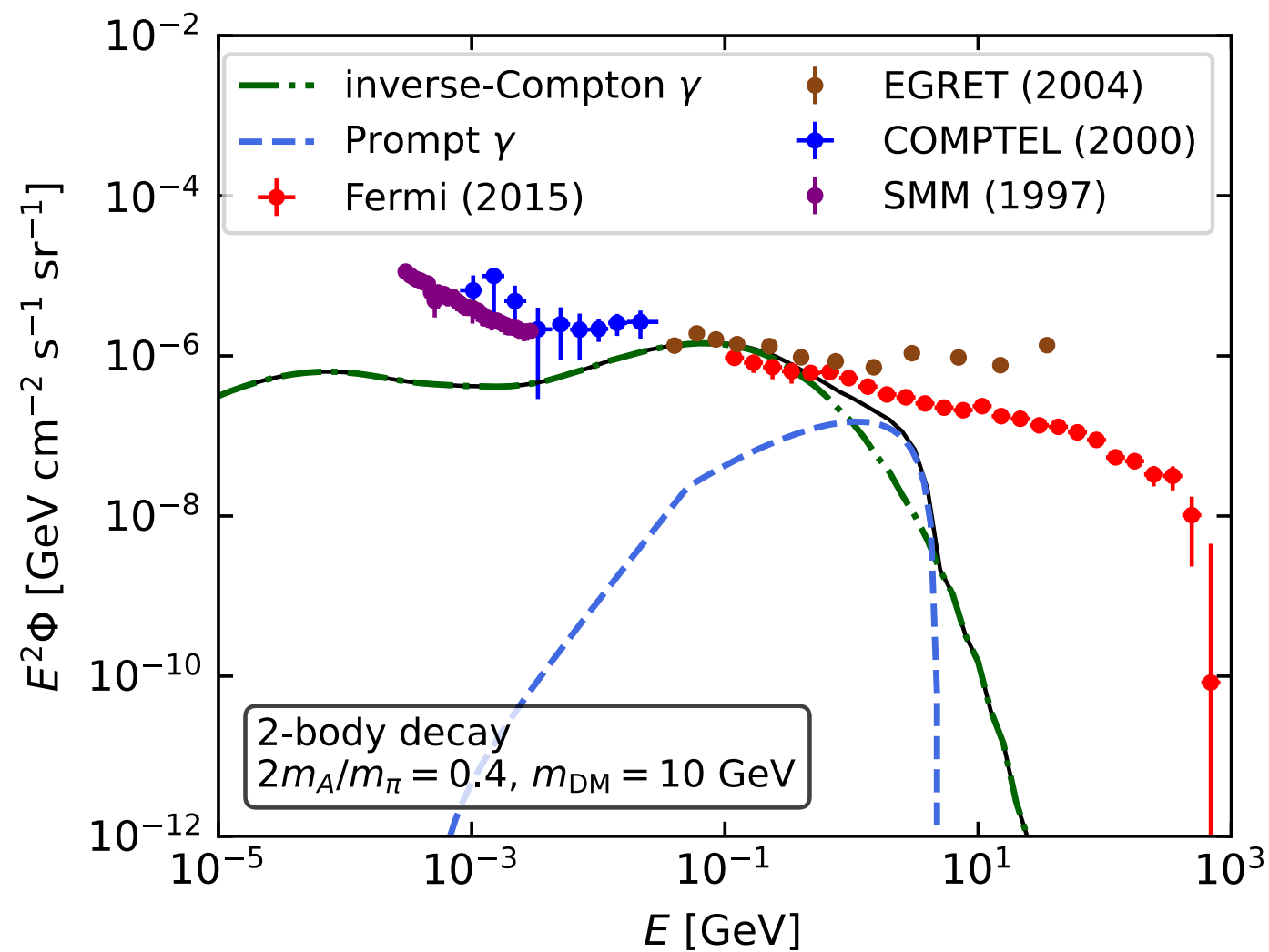
with solar modulation (green)

AMS-02 (near earth)

unmodulated (red)

Voyager-1 (outside solar hemisphere)

Gamma-ray flux constraints

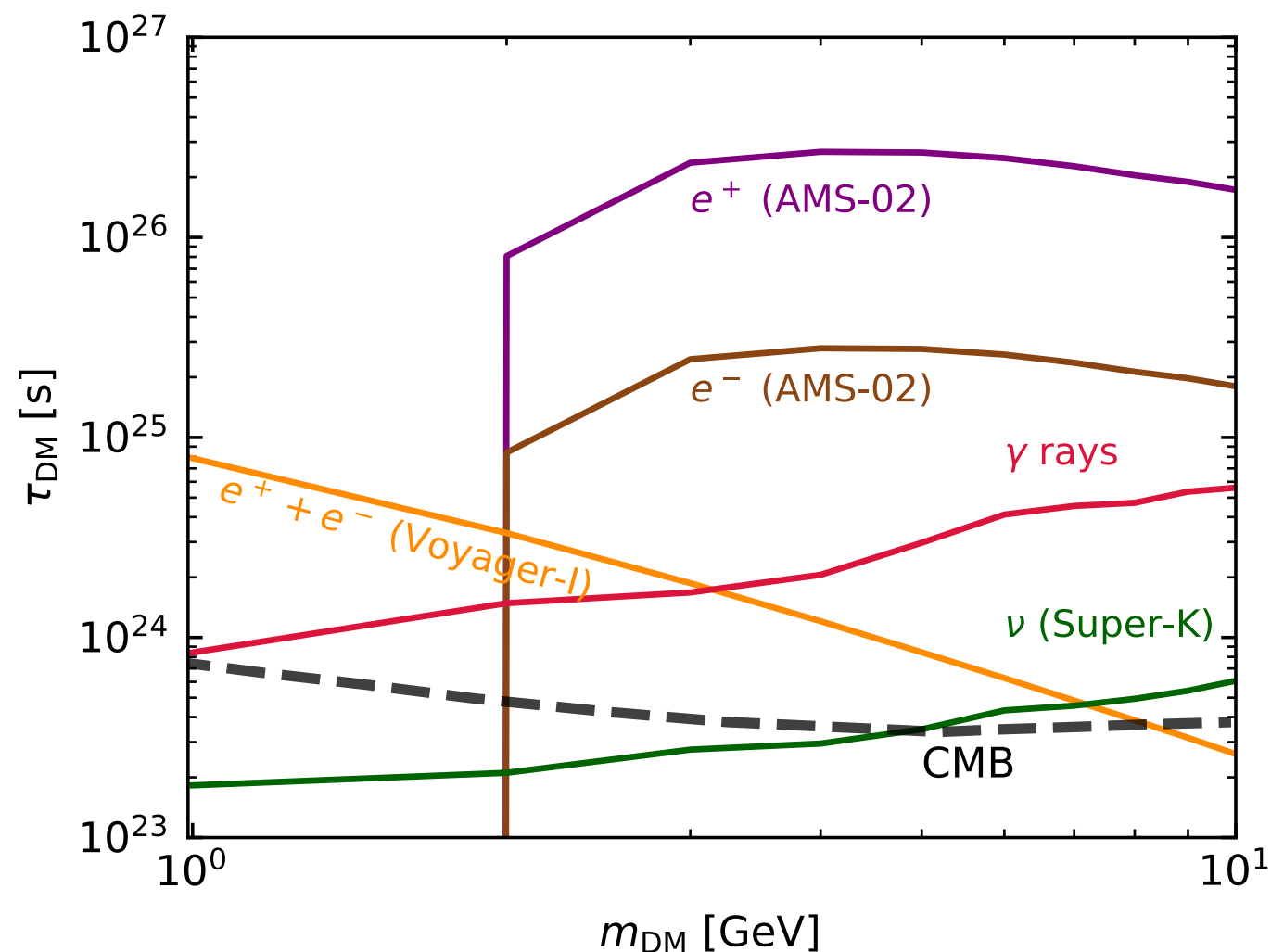


two gamma-ray sources from

- ◆ prompt ADM decay
- ◆ inverse Compton emission with energetic $e^\pm$ from ADM decay

prompt γ is less significant
since γ -ray appears as FSR

Summary plots of multi-messenger constraints



Das, Kamada, **TK**, Murase, Song (2025)

- assuming pure propagation model for $e^\pm$
- CMB constraints on decaying DM
branching fraction ~ 0.1
Slatyer, Wu (2016)

- heavy ADM: strong constraints from e^+ flux

Constraints on Wilson coefficient of intermediate portal interaction

$$\tau_{\text{DM}} \simeq 10^{26} \text{ s} \left(\frac{M_*}{2 \times 10^9 \text{ GeV}} \right)^6 \left(\frac{10 \text{ GeV}}{m_{N'}} \right)^5.$$

Summary and Discussions

Composite ADM with A' portal

- DM abundance by particle-antiparticle asymmetry
- Compositeness plays crucial role of providing key ingredients for ADM
- dark photon plays a role of releasing entropy in dark sector in early universe

Multi-Messenger probes

- Good probes for feeble dark sectors
- DM decay via portal interaction sharing asymmetries (neutrino signals)
- dark mesons/dark photon decay into EM particles via dark photon portal

Backup Slides

Formulae for primary spectrum with cascade decay

decay of scalar: $\phi_1 \rightarrow 2\phi_0 \rightarrow 2(\psi + X)$

$\pi' \rightarrow 2A' \rightarrow 2(e^+e^-(\gamma))$

light final states ψ

spectrum at ϕ_0 rest frame $\rightarrow$ spectrum at ϕ_1 rest frame

some irrelevant particles X

$$\frac{dN_\psi}{dx_1} = 2 \int_{-1}^1 d \cos \theta_0 \int_{\epsilon_0}^1 dx_0 \frac{dN_\psi}{dx_0} \frac{1}{2} \delta \left[x_1 - \frac{1}{2} \left(x_0 + \sqrt{(1 - \epsilon_1^2)(x_0^2 - \tilde{\epsilon}_0^2)} \cos \theta_0 \right) \right]$$

energy relation

normalized energy of ψ : $x_i = 2E_i/m_i$

dimensionless mass parameters: $\tilde{\epsilon}_0 = 2m_\psi/m_0$, $\epsilon_1 = 2m_0/m_1$

decay with massless emission a : $\phi_2 \rightarrow \phi_1 + a \rightarrow 2\phi_0 + a \rightarrow 2(\psi + X) + a$

$N' \rightarrow \pi' + \nu$

spectrum at ϕ_1 rest frame $\rightarrow$ spectrum at ϕ_2 rest frame

$$\frac{dN_\psi}{dx_2} = \int_{-1}^1 d \cos \theta_1 \int_{\tilde{\epsilon}_1}^1 dx_1 \frac{dN_\psi}{dx_1} \frac{1}{2} \delta \left(x_2 - \frac{1 + \epsilon_2^2}{2} x_1 - \frac{1 - \epsilon_2^2}{2} \sqrt{x_1^2 - \tilde{\epsilon}_1^2} \cos \theta_1 \right)$$

dimensionless mass parameters: $\tilde{\epsilon}_1 = 2m_\psi/m_2$, $\epsilon_2 = m_1/m_0$

Cascade Decay

formulae for two-body cascade decay

decay of scalar: $\phi_1 \rightarrow 2\phi_0 \rightarrow 2(\psi + X)$

light final states ψ

some irrelevant particles X

spectrum at ϕ_0 rest frame $\rightarrow$ spectrum at ϕ_1 rest frame

$$\frac{dN_\psi}{dx_1} = 2 \int_{-1}^1 d\cos\theta_0 \int_{\epsilon_0}^1 dx_0 \frac{dN_\psi}{dx_0} \frac{1}{2} \delta \left[x_1 - \frac{1}{2} \left(x_0 + \sqrt{(1 - \epsilon_1^2)(x_0^2 - \tilde{\epsilon}_0^2)} \cos\theta_0 \right) \right]$$

energy relation

normalized energy of ψ : $x_i = 2E_i/m_i$

dimensionless mass parameters: $\tilde{\epsilon}_0 = 2m_\psi/m_0$, $\epsilon_1 = 2m_0/m_1$

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spectrum at ϕ_1 rest frame $\rightarrow$ spectrum at ϕ_2 rest frame

$$\frac{dN_\psi}{dx_2} = \int_{-1}^1 d\cos\theta_1 \int_{\tilde{\epsilon}_1}^1 dx_1 \frac{dN_\psi}{dx_1} \frac{1}{2} \delta \left(x_2 - \frac{1 + \epsilon_2^2}{2} x_1 - \frac{1 - \epsilon_2^2}{2} \sqrt{x_1^2 - \tilde{\epsilon}_1^2} \cos\theta_1 \right)$$

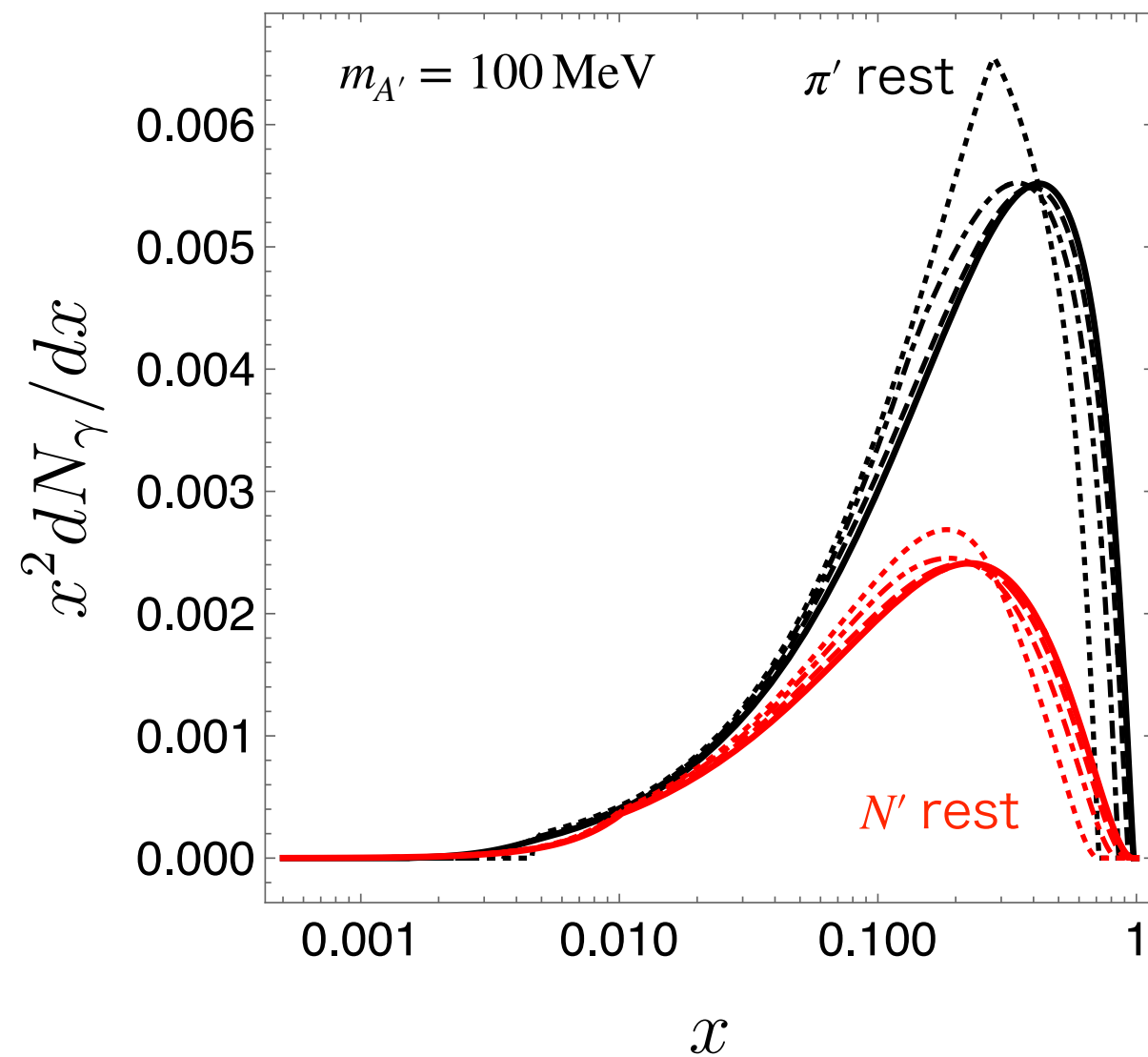
dimensionless mass parameters: $\tilde{\epsilon}_1 = 2m_\psi/m_2$, $\epsilon_2 = m_1/m_0$

photon energy spectrum

photon energy normalized by rest frame mass

$$x = 2E_\gamma^{(i)}/m_i$$

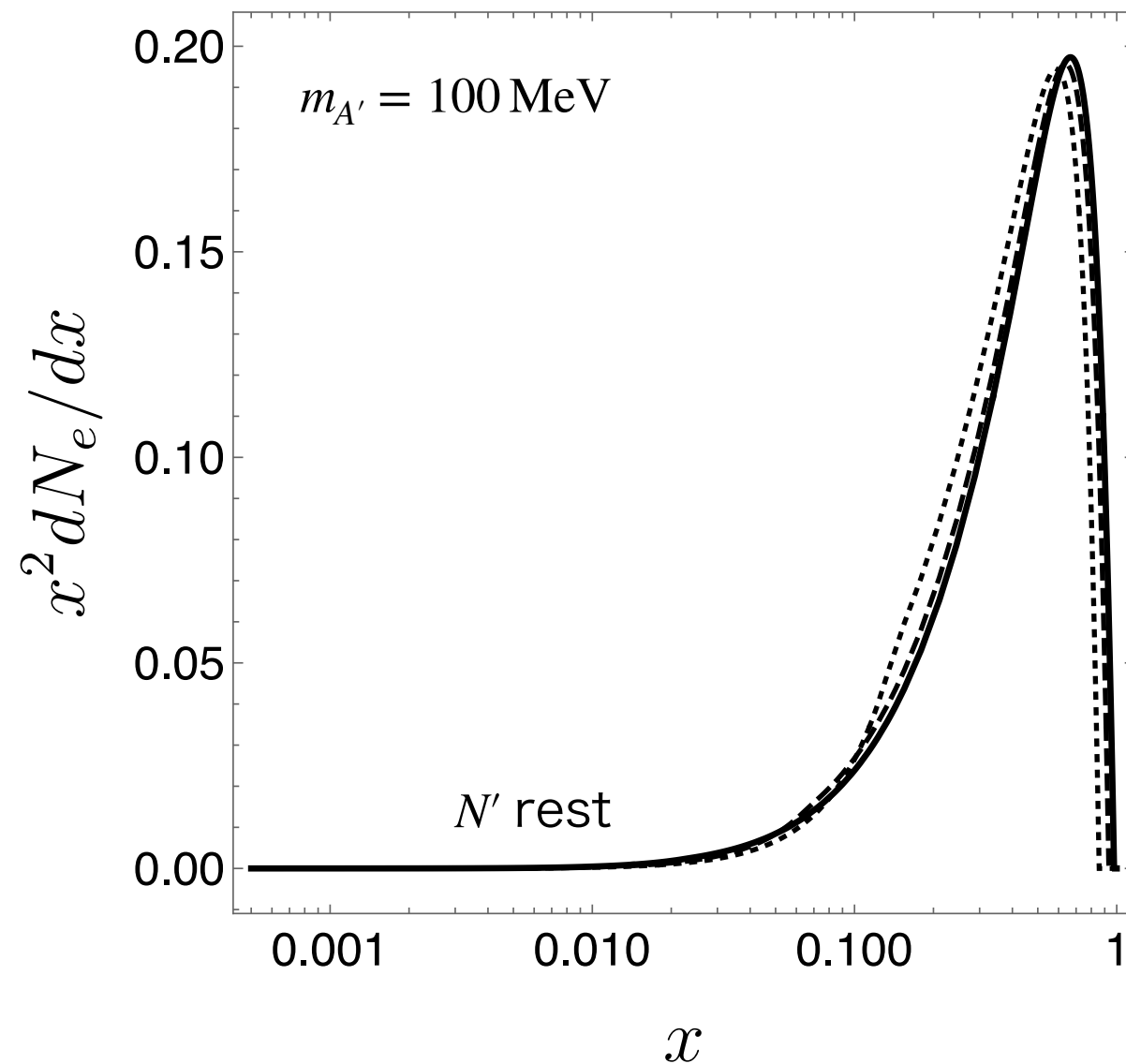
photon spectrum widely distributed
at a higher step in cascade decay



several choice of $2m_{A'}/m_{\pi'} \in [0.3, 0.9]$

$$2m_{\pi'}/m_{N'} = 0.1$$

$e^\pm$ energy spectrum



several choice of $2m_{A'}/m_{\pi'} \in [0.3, 0.9]$

$$2m_{\pi'}/m_{N'} = 0.1$$

photon energy normalized by rest frame mass

$$x = 2E_{e^-+e^+}/m_{N'}$$

electron spectrum sharply distributed

ADM decay spectrum

NFW DM profile

$$\rho_\chi(R) = \rho_{\text{sc}} \left(\frac{R}{R_{\text{sc}}} \right)^{-\gamma} \left(\frac{1 + R/R_c}{1 + R_{\text{sc}}/R_c} \right)^{-(3-\gamma)},$$

$\gamma = 1.2$ and the core radius $R_c = 20$ kpc

distance of the Sun from the GC $R_{\text{sc}} = 8.5$ kpc

DM density @ solar system: $\rho_{\text{sc}} c^2 = 0.43$ GeV/cm³

fluxes originating from the direction θ

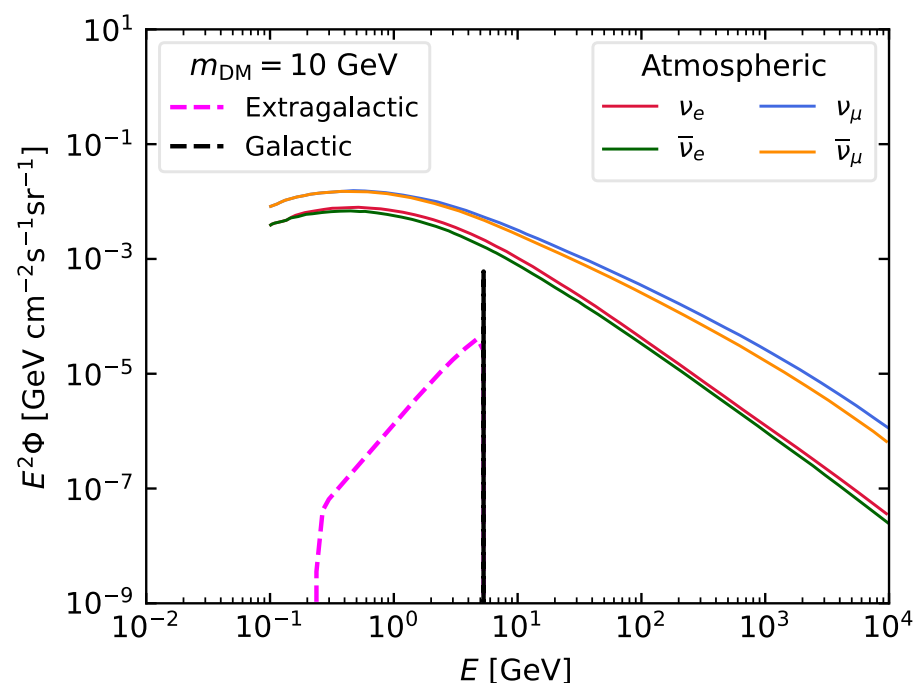
$$\Phi(E, \theta) = \frac{1}{4\pi m_\chi \tau_\chi} \frac{dN_s}{dE} \int_0^{s_{\text{max}}(\theta)} \rho_\chi(R(s)) ds = \frac{\rho_{\text{sc}} R_{\text{sc}}}{4\pi m_\chi \tau_\chi} \frac{dN_s}{dE} \mathcal{J}^{\text{dec}}(\theta)$$

$$s_{\text{max}}(\theta) = R_{\text{sc}} \cos \theta + \sqrt{R_h^2 - R_{\text{sc}}^2 \sin^2 \theta}$$

Galactic contribution: integration up to $\theta = \pi$

ADM decay spectrum

extragalactic component for neutrinos: integration over redshift z



$$\Phi_{\text{EG}}^{\text{dec}}(E) = \frac{\Omega_{\text{DM}} \rho_c}{4\pi m_{\text{DM}}} \int dz \left| \frac{dt}{dz} \right| F(z) \frac{dN_s^{\text{ob}}}{dE}(z_s = z)$$

uniform DM distribution in redshift z (up to $z = 20$)

$F(z)$: redshift evolution of extragalactic DM population (= 1)

$\Omega_{\text{DM}} h^2 = 0.113$ and $\rho_c h^{-2} = 1.05 \times 10^{-5} \text{ GeV/cm}^3$

$|dt/dz|$: cosmological line element

dN_s^{ob}/dE : observed neutrino spectrum on Earth after

propagation of the prompt DM decay spectrum originating at z

Neutrino Signal Bound

χ^2 function

$$\chi^2 = \sum_{l=1}^3 \frac{(\alpha A_l + \beta B_l - N_l)^2}{\sigma_{\text{stat}}^2 + \sigma_{\text{sys}}^2}$$

similar analysis

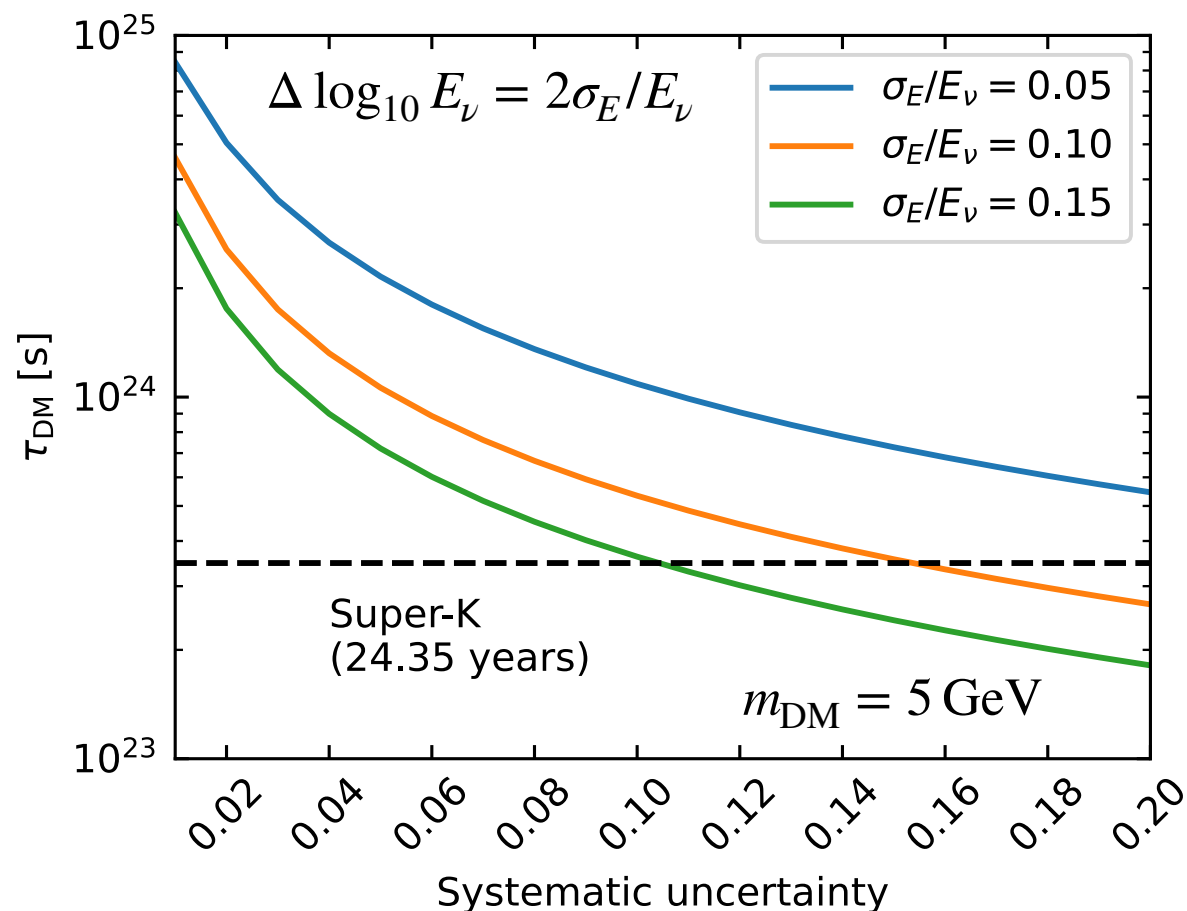
SN relic neutrinos: Super-K (2002)

DM ann: Palomares-Ruiz, Pascoli(2007)

three energy bins: $10^{-0.3}E_0, E_0, 10^{0.3}E_0$ with a width of $\Delta \log_{10} E_\nu = 0.2$ (SK)

$$\sigma_{\text{sys}}/N_l = 15\%, \quad \sigma_{\text{stat}}^2 = N_l^2 \text{ assumed}$$

Barr et al (2006), Evans et al (2016)



N_l : # of background in l-th bin

A_l : fraction of DM decay neutrino events

B_l : fraction of atm. bkg. neutrino events

α / β : free parameters of strength of signal/bkg

$\alpha = 1, 2, 3, \dots$ and find the best-fit β for each α

to normalize $P(\alpha) \propto e^{-\chi^2(\alpha)}$